



ORCSD Long Run Planning Committee

KINDERGARTEN AND FIRST GRADE
PROJECTIONS

Elements of the Model

Regression Analysis to predict Kindergarten and First Grade.

Grade Progression Ratios to predict all other grades.

Backcasting to see how well prior predictions matched actual enrollments.

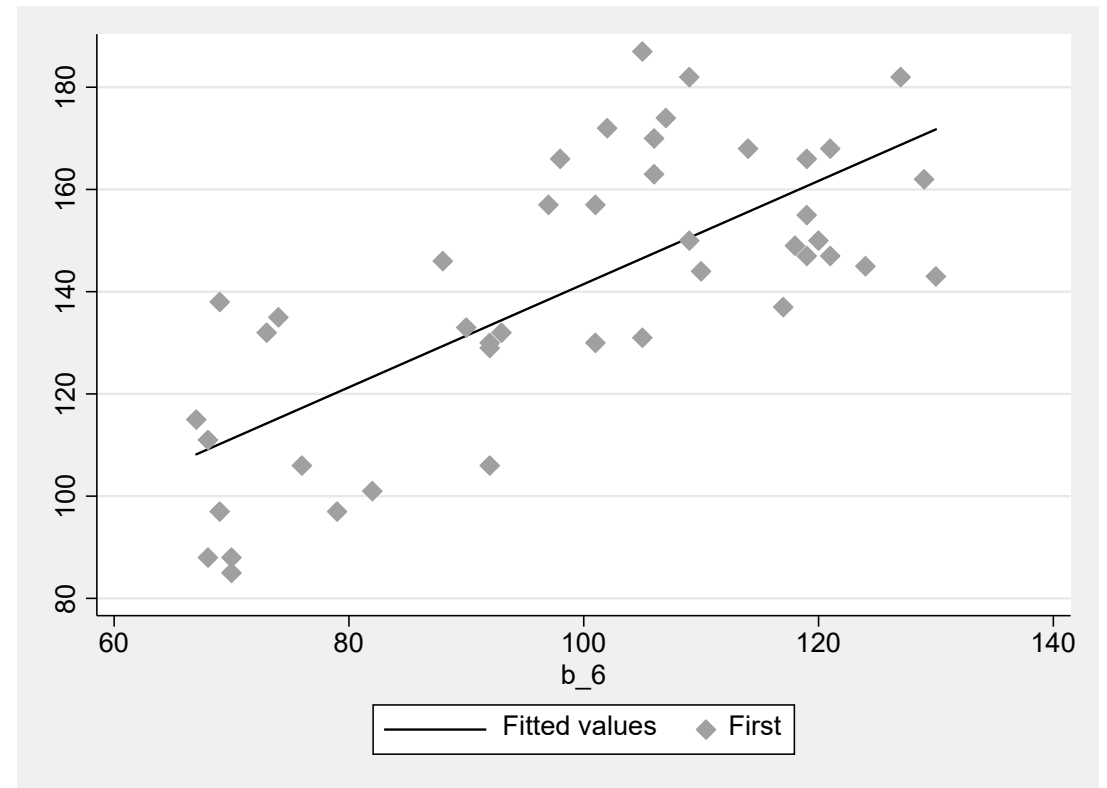
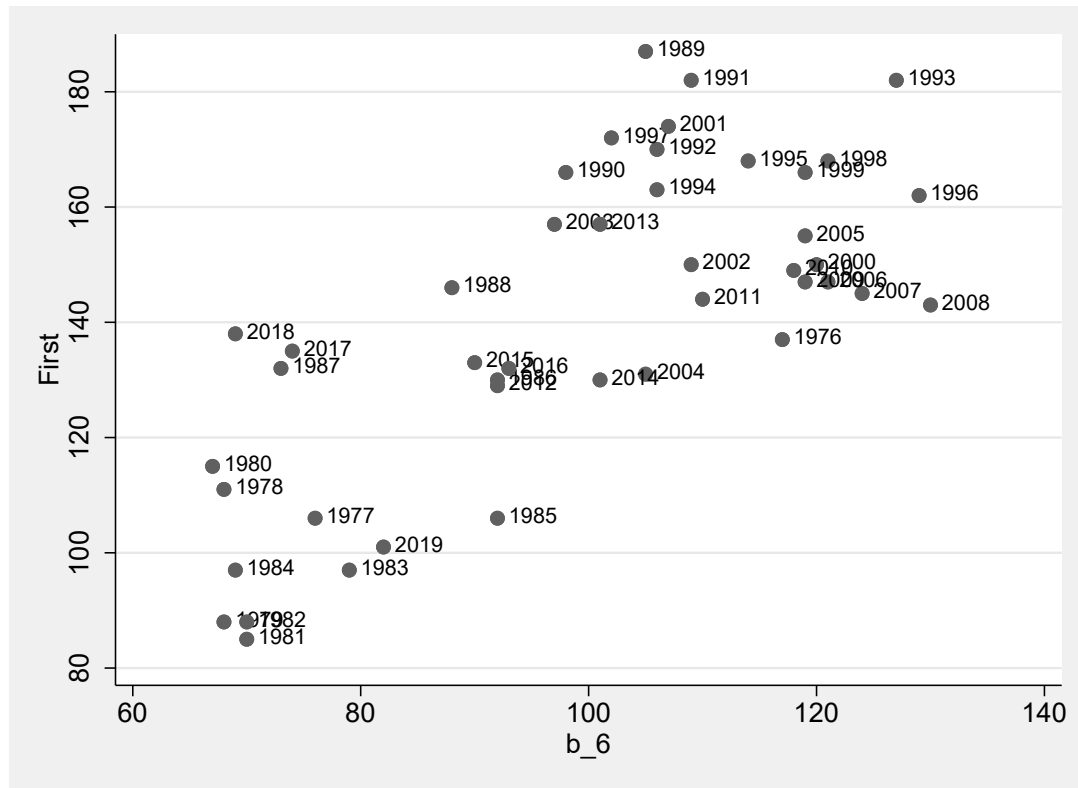
Regression Analysis

A fancy way of fitting a trendline.

Easy to visualize when there is one explanatory variable (X-axis) and one dependent variable (y-axis)

- E.g. “First grade enrollments are predicted by births six years ago”

Regression Analysis



Advanced Regression Analysis

Easy to generalize methodology to multiple explanatory variables.

- E.g. “First grade enrollments are predicted by both births 5 years ago and by births six years ago”

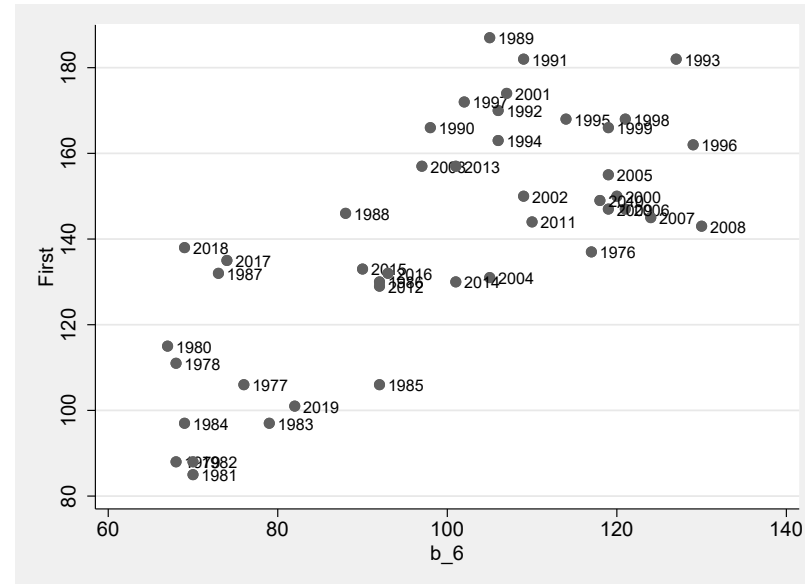
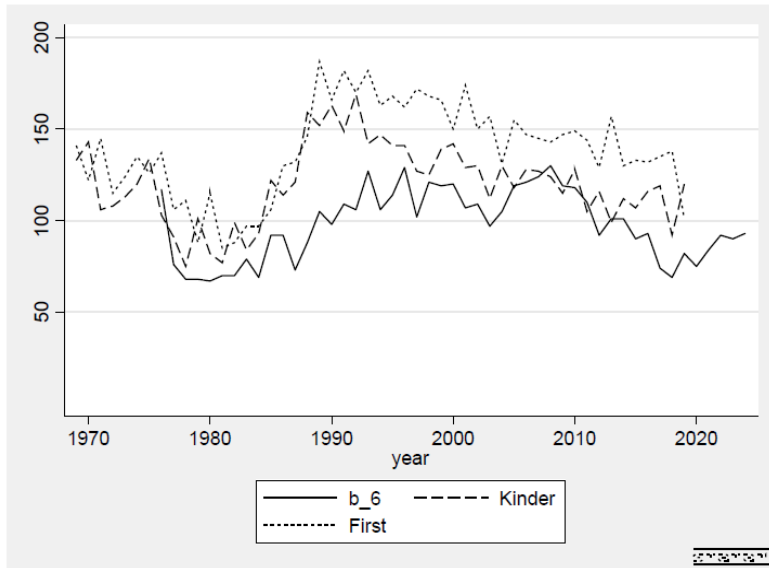
Regression analysis works well when the correlation between variables is:

- Observed frequently or for a long period (many observations)
 - *Unclear if data on housing sales or local-level economic data has enough observations*
- Stable and consistent (no structural breaks)
 - *For this reason, we may not prefer this method for Kindergarten*

Relatively simple to run

- Can be added to excel

Our Data



- Autocorrelation
 - This year's first grade is likely to be a good predictor of next year's cohort
- A consistent positive correlation to lagged births.
- Relationship is noisy and imprecise.
- Gradual downward trend since 1990

Tradeoffs

Lagged first-grade is highly correlated (last year's cohort size predicts this year's cohort), which has the potential to improving our predictions.

- Limited value if we want to forecast out by more than one or two years.
- Covid homeschooling likely to create structural break
- Do we want to use Kindergarten as an explanatory variable?

We currently run separate regressions for Kindergarten and First Grade.

Do we include or exclude years before 1990?

Births lagged 5-6 years is sensible as a predictor, but we need to forecast 10 years out.

- Births born four years from now will be the first graders in 10 years.
- We use a second regression model to predict/forecast births.

```
reg First f_1 f_2 b_5 b_6 if year>1990, noco
```

Source	SS	df	MS	Number of obs	=	29
Model	667955.674	4	166988.919	F(4, 25)	=	1343.94
Residual	3106.32555	25	124.253022	Prob > F	=	0.0000
Total	671062	29	23140.069	R-squared	=	0.9954
				Adj R-squared	=	0.9946
				Root MSE	=	11.147

First	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
f_1	.1305317	.1583547	0.82	0.418	-.1956059	.4566692
f_2	.6726104	.1551759	4.33	0.000	.3530196	.9922012
b_5	.090786	.1925847	0.47	0.641	-.3058495	.4874216
b_6	.1598833	.194437	0.82	0.419	-.2405673	.5603339

First Grade Regression Results and Projections

This year's first grade (predicted) = .13*last year's cohort + .67*year before last + .09*births five years ago + .16*births six years ago"

Next year's first grade = .13*this year's cohort + .67* last year + .09*births four years ago + .16*births five years ago"

T+2 first grade = .13*next year's forecast + .67* this year + .09*births three years ago + .16*births four years ago"


```
. reg Kind k_1 k_2 b_4 b_5 post if year>1990, noco
```

Source	SS	df	MS	Number of obs	=	29
Model	464224.664	5	92844.9327	F(5, 24)	=	900.56
Residual	2474.33637	24	103.097349	Prob > F	=	0.0000
Total	466699	29	16093.069	R-squared	=	0.9947
				Adj R-squared	=	0.9936
				Root MSE	=	10.154

Kinder	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
k_1	.1602848	.1514973	1.06	0.301	-.1523902	.4729598
k_2	.7012573	.1667775	4.20	0.000	.3570455	1.045469
b_4	-.1129424	.1888299	-0.60	0.555	-.5026681	.2767833
b_5	.243847	.1650111	1.48	0.152	-.0967192	.5844132
post_2010	1.706064	3.954899	0.43	0.670	-6.456445	9.868574

Kindergarten Regression Results and Projections

This year's Kindergarte (predicted) = .16*last year's cohort + .70*year before last - .11*births four years ago + .24*births five years ago + 1.7

```
. reg birth b_1 b_2 trend if year>1990, noco
```

Source	SS	df	MS	Number of obs	=	29
Model	306432.272	3	102144.091	F(3, 26)	=	994.39
Residual	2670.72799	26	102.720307	Prob > F	=	0.0000
Total	309103	29	10658.7241	R-squared	=	0.9914
				Adj R-squared	=	0.9904
				Root MSE	=	10.135

births	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
b_1	.6214716	.1755694	3.54	0.002	.2605836	.9823596
b_2	.3163914	.1747374	1.81	0.082	-.0427866	.6755693
trend	.1520566	.1491892	1.02	0.317	-.1546062	.4587193

Birth Projections

Trend = 1 in 1991, Trend = 2 in 1992, etc.

Predicted Births in 2020

$$= .6 * 2018_births + .3 * 2019_birth + .15 * 30 \text{ (trend=30 in 2020)}$$